# Carbides $\mathbf{L n}_{10} \mathbf{R u}_{10} \mathbf{C}_{\mathbf{1 9}} \mathbf{( \mathbf { L n } = \mathbf { Y } , G d - \mathbf { L u } ) : \text { Crystal Structure of their Subcells and the }}$ Superstructures of $\mathbf{E r}_{\mathbf{1 0}} \mathbf{R u}_{\mathbf{1 0}} \mathbf{C}_{\mathbf{1 9}}$ 

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#### Abstract

The nine new rare earth ruthenium carbides (10/10/19) were prepared by arc-melting of the elemental components and subsequent annealing at 1173 K . Guinier powder patterns show these compounds to crystallize with a very pronounced subcell, which was solved from the single-crystal X -ray diffractometer data of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$, erbium ruthenium carbide: $A m m 2, Z=1$, $R=0.031$ for 1088 structure factors and 39 variable parameters. The single-crystal film data of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ reveal several superstructures. Two of these were refined from the single-crystal diffractometer data of multiple domain crystals; one of these in the space group $C m, Z=$ 2, $R=0.057$ for $4848 F$ values and 147 variables; the other in $A m m 2, Z=8, R=0.078$ for $2352 F$ values and 171 variables. In all of these structures most of the C atoms are paired with $\mathrm{C}-\mathrm{C}$ distances corresponding to double bonds. Together with the Ru atoms, these C atoms form two-dimensionally infinite layers, which are separated from each other by the Er atoms. In the third dimension the ruthenium-carbon layers are linked by single C atoms and carbon pairs. The subcell shows the superposition of these isolated and paired C atoms, whereas in the idealized superstructures these C atoms are fully ordered and their atomic environments reflect this order. $\mathrm{Lu}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ is a metallic conductor and Pauli-paramagnetic. The carbides $\mathrm{Ln}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$, with Ln $=\mathrm{Gd}-\mathrm{Tm}$, show Curie-Weiss behaviour with magnetic moments corresponding to the free $\mathrm{Ln}^{3+}$ ions. The magnetic ordering temperatures are all below 35 K . Chemical bonding in these compounds can be rationalized on the basis of simple concepts assuming the octet and the 18 -electron rules to be valid for the C and Ru atoms, respectively.


## 1. Introduction

Investigations of the ternary systems of the rare earth metals with ruthenium and carbon have resulted in the characterization of several ternary compounds. Holleck $(1972,1977)$ was the first to prepare the cubic perovskite carbides $\mathrm{CeRu}_{3} \mathrm{C}$ and $\mathrm{ScRu}_{3} \mathrm{C}$. The isotypic compounds $\mathrm{LnRu}_{3} \mathrm{C}(\mathrm{Ln}=\mathrm{Dy}-\mathrm{Lu}$; Wachtmann et al., 1995) were reported more recently. In these carbides the C atoms
are isolated from each other and occupy octahedral voids formed by the ruthenium atoms. $\mathrm{Sc}_{3} \mathrm{RuC}_{4}$ also has a relatively simple structure, where the C atoms are paired (Hoffmann et al., 1992). The carbides $\mathrm{Ln}_{7} \mathrm{Ru}_{2} \mathrm{C}_{11}$ ( $\mathrm{Ln}=\mathrm{Dy}-\mathrm{Tm}$ ) crystallize with a complex superstructure, which contains isolated C atoms as well as $\mathrm{C}_{2}$ pairs (Musanke, Jeitschko \& Hoffmann, 1993). The structure of $\mathrm{Gd}_{12} \mathrm{Ru}_{7.5} \mathrm{C}_{20}$ also has isolated C atoms and $\mathrm{C}_{2}$ pairs. It shows considerable disorder resulting from the disordered arrangement of Ru atoms on a sixfold axis (Hoffmann \& Jeitschko, 1990). Recently we reported the crystal structure of $\mathrm{GdRuC}_{2}$ (Hoffmann et al., 1995), where all C atoms are paired. This compound is stable only at very high temperature and can be obtained at room temperature only by very rapid quenching. In samples cooled at lower rates, the carbides of the present communication are obtained. Their composition, determined for $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ by crystal structure analyses, is very similar to that of $\mathrm{GdRuC}_{2}$. Nevertheless, their (subcell) structure is quite different from that of $\mathrm{GdRuC}_{2}$, even though most of the C atoms of the 10:10:19 compounds are also paired. Only $1 / 19$ of these C atoms are unpaired. The complicated superstructures of the 10:10:19 carbides arise from the various ways the paired and unpaired C atoms are ordered in trigonal prisms formed by the Ru atoms. A preliminary account of the work reported here has been presented at a conference (Hoffmann \& Jeitschko, 1987).

## 2. Sample preparation

Starting materials were filings of the rare earth metals, ruthenium powder (all with nominal purities $>99.9 \%$ ) and graphite flakes ( $>99.5 \%$ ). Cold-pressed pellets ( $0.2-$ 0.5 g ) of the elemental components were reacted in an arc-melting furnace under an argon atmosphere, which was further purified by repeatedly melting a titanium button prior to the reactions. The buttons were remelted several times, turned around and remelted again to ensure good homogeneity. Material losses were of the order $2-3 \%$, except for $\mathrm{Yb}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$, where they were caused by the low boiling point of ytterbium. The compounds were already present in the as-cast samples. Nevertheless, the compact samples were wrapped in

Table 1. Lattice constants of the orthorhombic subcell of the ternary carbides $L n_{10} R u_{10} C_{19}$ ( $L n=Y$, $\left.G d-L u\right)$, as obtained from powder data of samples annealed at 1173 K

| Compound | $a(\AA)$ | $b(\AA)$ | $c(\AA)$ | $V\left(\AA^{3}\right)$ |
| :--- | :--- | :--- | :--- | :--- |
| $\mathrm{Y}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.6526(4)$ | $18.697(1)$ | $7.3010(6)$ | $498.6(1)$ |
| $\mathrm{Gd}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.740(4)$ | $18.684(4)$ | $7.302(2)$ | $510.2(7)$ |
| $\mathrm{Tb}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.717(6)$ | $18.701(6)$ | $7.297(6)$ | $507.3(1)$ |
| $\mathrm{Dy}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.668(2)$ | $18.685(2)$ | $7.292(1)$ | $499.8(4)$ |
| $\mathrm{Ho}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.6292(9)$ | $18.639(3)$ | $7.285(2)$ | $492.8(2)$ |
| $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.6059(6)$ | $18.632(2)$ | $7.2861(6)$ | $489.5(1)$ |
| $\mathrm{Tm}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.5849(4)$ | $18.586(2)$ | $7.2807(7)$ | $485.1(1)$ |
| $\mathrm{Yb}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.579(1)$ | $18.516(9)$ | $7.284(3)$ | $482.7(3)$ |
| $\mathrm{Lu}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ | $3.548(2)$ | $18.546(8)$ | $7.270(4)$ | $478.4(3)$ |

tantalum foil, sealed in evacuated silica tubes and annealed for 10 d at 1173 K to enhance their homogeneity. They were then quenched in ice-water. The samples were single-phase with the exception of the ytterbium-containing samples, for which $\mathrm{YbRu}_{3} \mathrm{C}$ was found to be a major impurity.

Single crystals of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ were obtained by annealing arc-melted samples in a water-cooled silica tube in a high-frequency furnace slightly below the melting point for $10-30 \mathrm{~min}$. Samples crystallized much better with a carbon content (Er:Ru:C $=10: 10: 17$ ) smaller than that required by the composition of the ternary carbide ( $\mathrm{Er}: \mathrm{Ru}: \mathrm{C}=10: 10: 19$ ).

The products were characterized by metallography and scanning electron microscopy. Energy-dispersive X-ray fluorescence analyses did not reveal any impurity elements heavier than sodium.

## 3. Lattice constants

Lattice constants of the subcell were obtained from Guinier powder patterns ( $\mathrm{Cu} K \alpha_{1}$ ) using $\alpha$-quartz ( $a=$ 4.9130 and $c=5.4046 \AA$ ) as an internal standard. Indices could be assigned on the basis of the orthorhombic


Fig. 1. Cell volumes of the subcell for the rare earth ruthenium carbides $\mathrm{Ln}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. Filled circles indicate the cell volumes for samples with the ideal composition annealed at 1173 K . For the Gd compound larger lattice constants were obtained from samples with possibly slightly different compositions, which had been quenched after the arc-melting (a.m.) or after annealing at a higher temperature.
subcell found by the single-crystal investigations of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. The identification of the diffraction lines was facilitated by intensity calculations (Yvon et al., 1977) using the positional parameters of the structure determination. The lattice constants (Table 1) were obtained by least-squares fits.

A plot of the cell volumes shows the expected lanthanoid contraction (Fig. 1). It can be seen that the volume for the gadolinium compound deviates from the extrapolated value. Since the corresponding compounds with the earlier lanthanoids could not be prepared, we ascribe this behaviour to a deviation from the ideal composition of that sample, which was annealed, as were the others, at 1173 K . In samples of $\mathrm{Gd}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$, which had been quenched from higher temperatures, cell volumes as large as 527.7 (1) $\AA^{3}[a=3.8924$ (2), $b=18.619$ (1),$c=7.2808$ (3) $\AA$ ] were observed. It is well known that homogeneity ranges are larger at higher temperature. This was not investigated any further.

Lattice constants for the various crystals of the composition $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ were also obtained on a fourcircle diffractometer. They were all in good agreement (the largest deviation was five standard deviations) with the corresponding ones calculated from the subcell reflections. Since the four-circle diffractometer intensities are all shifted to higher diffraction angles (due to absorption), they are all slightly too small. Therefore, the lattice constants derived from the Guinier powder pattern of the $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ samples quenched from high temperature were used in all cases for the calculation of the bond distances.

## 4. Chemical and physical properties

Well crystallized samples of the ternary carbides are grey with metallic lustre. They do not show any kind of deterioration in air over a period of several years. However, they react with hydrochloric acid, especially at higher temperature. The gaseous reaction products were analysed as reported earlier (Jeitschko et al., 1989). Besides the expected gases $\mathrm{CH}_{4}, \mathrm{C}_{2} \mathrm{H}_{4}$ and $\mathrm{C}_{2} \mathrm{H}_{6}$, also between 20 and $60 \mathrm{wt} \% \mathrm{C}_{3}, \mathrm{C}_{4}, \mathrm{C}_{5}$ and $\mathrm{C}_{6}$ hydrocarbons were observed. Such higher hydrocarbons were also found as reaction products of other ternary and quaternary rare earth carbides, e.g. in samples of $\mathrm{SmRhC}_{2}$ (Hoffmann et al., 1989) and $\mathrm{ErFe}_{2} \mathrm{SiC}$ (Witte \& Jeitschko, 1994), which contain only $\mathrm{C}_{2}$ pairs or isolated C atoms, respectively.

Electrical conductivity measurements of an arcmelted ingot of $\mathrm{Lu}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ reveal metallic behaviour. The electrical resistivity increases by a factor of eight between 5 and 300 K . At room temperature a resistivity of $50 \mu \Omega \mathrm{~cm}$ was observed. Owing to the difficulty in estimating the sizes of the contacting areas, this value may be in error by a factor of up to two. Samples of $\mathrm{Y}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ and $\mathrm{Lu}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ were tested for superconductivity with an ac susceptometer. No super-
conducting transition was found for either compound down to 2 K .

The magnetic properties of the carbides $\mathrm{Ln}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ ( $\mathrm{Ln}=\mathrm{Gd}-\mathrm{Tm}$ ) were investigated with a SQUID magnetometer at temperatures between 4 and 300 K , with magnetic flux densities up to $5.5 \mathrm{~T} . \mathrm{Lu}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ is Pauli-paramagnetic, indicating that the rutheniumcarbon polyanion does not carry localized magnetic moments. The other carbides show Curie-Weiss behaviour with magnetic ordering temperatures all lower than 35 K . The magnetic moments calculated from the slopes of the linear portions of the $1 / \chi$ versus $T$ plots are
all in good agreement with the magnetic moments expected for the free $\mathrm{Ln}^{3+}$ ions.

## 5. Structure determinations

Single crystals of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ were investigated with Weissenberg and Buerger precession cameras. Reciprocal layer photographs of four crystals were taken. While the reciprocal lattices of the four crystals did not show any differences for the basic (subcell) structure, different types of superstructure reflections were


Fig. 2. Two reciprocal lattice rows of superstructure reflections as recorded from four different crystals in a precession camera using unfiltered Mo $K \alpha$ radiation. The top of the figure (a) shows an overexposed photograph of the two reciprocal lattice rows $\frac{3}{2}, k, \frac{1}{2}$ and $\frac{5}{2}, k, \frac{1}{2}$ of the crystal used for the structure refinement of the subcell. These diffuse superstructure rows were (by definition) neglected when the subcell data were recorded. The second and fourth photographs, (b) and (d), show the corresponding reciprocal lattice rows of the crystals $B$ $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ and $A B-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. Note the reflections marked with arrows in the third and fourth photographs, ( $c$ ) and ( $d$ ). These reciprocal lattice points cannot be rationalized as due to twinning of the $B$ structure, since they do not occur in the monoclinic reciprocal lattice of crystal B. No subcell reflections are shown on these four photographs; they are approximately ten times as strong as the superstructure reflections. The enframed reciprocal lattice reflections of crystal $A B(d)$ are further discussed in the text.

Table 2. Crystal data of the subcell crystal and crystals $B$ and $A B$ of $E r_{10} R u_{10} C_{19}$

| Chemical formula | $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ (subcell) | $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}(B)$ | $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}(A B)$ |
| :---: | :---: | :---: | :---: |
| Space group | Amm2 (No. 38) | Cm (No. 8) | Amm2 (No. 38) |
| $a(\mathrm{~A}) \dagger$ | 3.6097 (4) | 14.578 (2) | 37.264 (4) |
| $b(\AA) \dagger$ | 18.632 (2) | 7.219 (1) | 7.219 (2) |
| $c(\AA) \dagger$ | 7.289 (1) | 10.004 (2) | 14.578 (2) |
| $\beta\left({ }^{\circ}\right)^{\dagger}$ |  | 111.36 (5) |  |
| $V\left(\mathrm{~A}^{3}\right)$ | 490.2 | 980.5 | 3921.6 |
| $Z$ | 1 | 2 | 8 |
| Chemical formula weight | 2911.5 | 2911.5 | 2911.5 |
| $D_{x}\left(\mathrm{~g} \mathrm{~cm}^{-3}\right)$ | 9.86 | 9.86 | 9.86 |
| Dimensions ( $\mu \mathrm{m}^{3}$ ) | $9 \times 17 \times 55$ | $11 \times 22 \times 24$ | $25 \times 25 \times 65$ |
| Radiation | Mo $K \alpha$ | Mo $K \alpha$ | Mo $K \alpha$ |
| $\mu\left(\mathrm{mm}^{-1}\right)$ | 49.7 | 49.7 | 49.7 |
| $2 \theta_{\text {max }}\left({ }^{\circ}\right)$ | 70 | 80 | 50 |
| $h k l$ range | $-5 \rightarrow h \rightarrow 5$ | $-26 \rightarrow h \rightarrow 26$ | $-44 \rightarrow h \rightarrow 44$ |
|  | $-30 \rightarrow k \rightarrow 30$ | $0 \rightarrow k \rightarrow 13$ | $-8 \rightarrow k \rightarrow 8$ |
|  | $-11 \rightarrow l \rightarrow 11$ | $-18 \rightarrow l \rightarrow 18$ | $-17 \rightarrow l \rightarrow 17$ |
| Total number of reflections | 4282 | 6588 | 13797 |
| Absorption correction | From $\psi$ scans | None | From $\psi$ scans |
| Transmission ratio (max./min.) | 1.21 | 1.64 | 1.33 |
| Unique reflections | 1239 | 6588 | 3814 |
| Internal residual | 0.069 | - | 0.038 |
| Reflections with $I>n \sigma(I)$ | $1088(n=2)$ | $4848(n=3)$ | $2352(n=2)$ |
| Number of variables $\ddagger$ | 44/39 | 147 | 171 |
| Residual (subcell $F$ values) $\ddagger$ | 0.050/0.031 (1088) | 0.049 (3150) | 0.019 (526) |
| Residual (superstructure $F$ values) | - | 0.092 (1698) | 0.182 (1826) |
| Residual (subcell + superstructure) | - | 0.057 (4848) | 0.078 (2352) |
| Residual (all $F$ values) $\ddagger$ | 0.065/0.042 (1239) | 0.084 (6588) | 0.127 (3814) |
| Weighted residual (all $I$ values) $\ddagger$ | 0.133/0.063 (1239) | 0.162 (6588) | 0.032 (3814) |
| Weighting parameter $a / b$ | 0.0083/26 | 0.089/83 | 0/0 |

$\dagger$ Calculated from powder data of a sample quenched from above 1473 K . $\ddagger$ The first values for the refinement of the subcell data correspond to the upper part of Table 3, the second values correspond to the refinement shown in the lower part of Table 3.
observed, suggesting a variety of superstructures and twinning (Fig. 2).

Intensity data were collected for three single crystals. One crystal showed sharp (basic) subcell reflections, while the superstructure reflections were visible as diffuse streaks extending along one reciprocal lattice direction, the $b^{*}$ direction (Fig. 2a). Reciprocal lattice planes were also recorded perpendicular to this direction, confirming the strictly one-dimensional character of these diffuse streaks and, consequently, the disorder of the structure is confined to one dimension. This crystal (with the space-group symmetry Amm2) will be termed the subcell crystal throughout the paper. The corresponding crystal structure is termed the subcell structure. However, one should keep in mind that this subcell is the same for all crystals. Another crystal (Fig. $2 b$ ) showed well developed superstructure reflections with the symmetry Cm . From the data collected for this crystal we refined a superstructure, which we designated with the letter $B$, and, consequently, we term this crystal crystal B. The third crystal also showed well developed superstructure reflections. The symmetry is $\mathrm{Amm2}$, the same as for the subcell but with an eightfold larger cell volume. For this crystal we determined a structure, which we term the $A B$ structure, and, therefore, we refer to this crystal as crystal $A B$. Details of the data collec-
tions are given in Table 2. The relationships of the various lattices are illustrated in Fig. 3.

The structures were refined, minimizing $w R_{2}=$ $\left[\Sigma w\left(F_{o}^{2}-F_{c}^{2}\right)^{2} / \Sigma w\left(F_{o}^{2}\right)^{2}\right]^{1 / 2}$, by the full-matrix leastsquares program SHELXL93 (Sheldrick, 1993) with atomic scattering factors, corrected for anomalous dispersion (International Tables for Crystallography, 1992), as provided by this program. The weighting scheme was based on the counting statistics with $w=$ $1 /\left[\sigma^{2}+a P+(b P)^{2}\right]$, where $\sigma$ is the standard deviation of the observed intensity, and $a$ and $b$ were chosen such as to obtain a flat regression of variance in terms of the magnitude of $I_{c}$ and $P=\left[\max \left(I_{o}, 0\right)+2\left(I_{c}\right) / 3\right]$. A factor $e$, correcting for secondary extinction, was refined and applied to the calculated structure factors as given by $\left[1+0.001 e I_{c} \lambda^{3} / \sin 2 \theta\right]^{-1 / 4}$. Since all structures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ crystallize in non-centrosymmetric space groups, polar axis restraints were applied by the method of Flack \& Schwarzenbach (1988) and the absolute structures of the crystals were established, as described by Flack (1983).

### 5.1. Subcell structure

The crystal of Fig. 2(a) showed only diffuse superstructure reflections extending along one well defined
reciprocal lattice direction. Therefore, the sharp subcell reflections were judged to correspond best to the average structure. The subcell reflections showed orthorhombic symmetry with the extinction condition of an $A$-centred lattice. Of the three possible space groups Ammm, Amm 2 and $A 222$, the non-centrosymmetric group $A m m 2$ was found to be correct in the course of the structure determination.

The erbium positions were found by interpretation of the Patterson function; the other atoms were located by subsequent difference Fourier syntheses. The results of two different 'final' refinements of the subcell data are shown in Table 3. In the upper part of Table 3, the atomic positions as obtained with anisotropic displacement parameters for the metal atoms and the C5 position are listed. With the exception of the four carbon positions C1-C4, all atoms had (mostly) cigar-shaped displacement parameters. Therefore, we also refined the
subcell data, where all these atoms were allowed to occupy split positions. These refinements were carried out with isotropic displacement parameters, and the results are listed in the lower part of Table 3. A drawing with the atomic positions of this refinement is presented in Fig. 4. In this drawing the splitting of the Ru and C5 positions is not visible, because it occurs along the viewing direction. The near-neighbour environments as obtained from the refinement with anisotropic displacement parameters are shown in Fig. 5 and the interatomic distances of this refinement are listed in Table 4. The residuals of the refinements of the subcell with anisotropic displacement parameters and with isotropic displacement parameters, but with split positions, are listed in Table 2. The subcell was also refined from the subcell data of the crystals $B$ and $A B$. These results were quite similar to those presented in Table 3 and, therefore, these data as well as the data for the $A B$ structure




Fig. 3. Space-group relationships of various structures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. The space group Amm 2 of the subcell is shown at the top. Going from top to bottom the symmetry is lowered in single steps by either a translationengleiche ( $t$ ), a klassengleiche $(k)$ or the special klassengleiche, the isomorphic (i) reduction (International Tables for Crystallography, 1983). The transformation matrices, lattice constants together with unit-cell volumes and indices $t, k$ and $i$ for the subgroups are also given. Horizontal arrows indicate cell transformations between equivalent settings.

Table 3. Atomic parameters of the subcell of $E r_{10} R u_{10} C_{19}$
Refinement with anisotropic displacement parameters for the metal atoms and C5.

|  | Amm2 | Occupancy | $x$ | $y$ | $z$ | $B_{\text {eq }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Er1 | 4(d) | 1 | 0.0 | 0.1194 (1) | 0.6131 (2) | 0.92 (3) |
| Er2 | 4(d) | 1 | 0.0 | 0.19151 (8) | 0.1624 (2) | 0.46 (2) |
| Er3 | 2(a) | 1 | 0.0 | 0.0 | 0.0198 (5) | 1.19 (4) |
| Ru1 | 4(e) | 1 | 1/2 | 0.0730 (2) | 0.3050 (5) | 2.66 (9) |
| Ru2 | 4(e) | 1 | 1/2 | 0.2035 (1) | 0.8495 (4) | 0.49 (4) |
| Ru3 | 2(b) | 1 | 1/2 | 0.0 | 0.6439 (6) | 2.1 (1) |
| C1 | 4(e) | 1 | 1/2 | 0.0848 (9) | 0.855 (3) | 0.2 (2) $\dagger$ |
| C2 | 4(e) | 1 | 1/2 | 0.102 (2) | 0.037 (4) | $0.2 \dagger$ |
| C3 | 4(e) | 1 | 1/2 | 0.176 (1) | 0.409 (3) | $0.2 \dagger$ |
| C4 | 4(e) | 1 | 1/2 | 0.219 (2) | 0.563 (3) | $0.2 \dagger$ |
| C5 | 4(c) | 3/4 | 0.110 (1) | 0.0 | 0.380 (1) | $1.0 \ddagger$ |

Refinement with isotropic displacement parameters and split positions for most atoms.

|  | Amm2 | Occupancy | $x$ | $y$ | $z$ | $B_{\text {iso }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Er1a | 4(d) | 1/2 | 0.0 | 0.11293 (8) | 0.6039 (2) | 0.32 (1) $\dagger$ |
| Er1b | 4(d) | 1/2 | 0.0 | 0.12562 (8) | 0.6261 (2) | $0.32 \dagger$ |
| Er2a | 4(d) | 1/2 | 0.0 | 0.1944 (1) | 0.1634 (5) | 0.41 (1) $\dagger$ |
| Er2b | 4(d) | 1/2 | 0.0 | 0.1885 (2) | 0.1650 (6) | $0.41 \dagger$ |
| Er3a | 2(a) | 1/2 | 0.0 | 0.0 | 0.0442 (3) | 0.37 (2) $\dagger$ |
| Er3b | 2(a) | 1/2 | 0.0 | 0.0 | 0.9997 (3) | $0.37 \dagger$ |
| Ru1 | 8(f) | 1/2 | 0.4251 (4) | 0.07306 (7) | 0.3073 (2) | 0.24 (2) |
| Ru2 | 8(f) | 1/2 | 0.480 (1) | 0.20337 (6) | 0.8515 (2) | 0.35 (2) |
| Ru3 | 4(c) | 1/2 | 0.4321 (5) | 0.0 | 0.6460 (3) | 0.24 (3) |
| C1 | 4(e) | 1 | 1/2 | 0.0813 (6) | 0.850 (2) | 0.1 (1) $\dagger$ |
| C2 | 4(e) | 1 | 1/2 | 0.1026 (7) | 0.031 (2) | $0.1 \dagger$ |
| C3 | 4(e) | 1 | 1/2 | 0.1777 (8) | 0.407 (2) | 0.5 (1) $\dagger$ |
| C4 | 4(e) | 1 | 1/2 | 0.2167 (8) | 0.567 (2) | $0.5 \dagger$ |
| C5a | 4(c) | 1/2 | 0.210 (8) | 0.0 | 0.423 (4) | $0.4 \ddagger$ |
| C5b | 2(a) | 1/2 | 0.0 | 0.0 | 0.427 (5) | $0.4 \ddagger$ |

and the proposed $A$ structure (see below) are only deposited. $\dagger$

### 5.2. The superstructure $B-E r_{10} R u_{10} C_{19}$

The superstructure reflections of crystal $B$ (Fig. 2b) required a doubling of both the $a$ and $c$ translation periods of the subcell. The structure was eventually refined in the space group Cm . The space-group relationships are outlined in Fig. 3. It can be seen that the symmetry is lowered from the subcell to the superstructure $B$ in two steps. Rotational symmetry is lost by the translationengleiche transformation from Amm 2 to Am11. This latter group is a non-standard setting of the space group Pm. In a second step, represented by a (minimal) klassengleiche transformation, two translation lengths of the subcell are doubled, resulting in a centred lattice of the space group Cm.

The monoclinic $C m$ symmetry of the crystal $B$ was clearly visible on the precession diagrams. However, because of the loss of the rotational symmetry (transformation Amm2 $\rightarrow$ Am11, Fig. 3) twinning could be

[^0]expected (Wondratschek \& Jeitschko, 1976) and indeed was observed. The intensity data of both twin domains were recorded simultaneously on the four-circle diffractometer by assuming the common pseudoorthorhombic $F$-centred cell $(a=37.264, b=7.219, c=$ $14.578 \AA$; the transformation matrices from this cell to the cells of the two twin domains are $0,0,1 / 0,1,0 /-\frac{1}{4}, 0,-\frac{1}{4}$ for the large twin domain, and $0,0,1 / 0,1,0 /+\frac{1}{4}, 0,-\frac{1}{4}$ for the small twin domain). Eventually the structure could be refined for both twin domains independently.

A model for the superstructure was readily visualized by considering the true cell dimensions and the split atomic positions, as shown on the left-hand side of Fig. 6(a). The most significant splitting occurs for the C5 position. $33.3 \%$ of the C 5 atoms (C5b atoms) are situated on the mirror plane, which extends perpendicular to the $x_{\text {sub }}$ direction. The other C5 atoms (C5a atoms) are situated to the left and right of that mirror plane with a C5a-C5a bond distance of $1.4 \AA$. Thus, $33.3 \%$ of the C 5 atoms are single C atoms ( $\mathrm{C} 5 b$ atoms) and the other $66.7 \%$ form $(\mathrm{C} 5 a)_{2}$ pairs. It was assumed that the split positions of the Er1, Er3, Ru1 and Ru3 atoms reflect the arrangement of the C 5 atoms. The trigonal prism formed by the Ru atoms should be elongated or compressed, depending on whether it contains a $(\mathrm{C} 5 a)_{2}$ pair or a
single C5b atom. Since superstructure $B$ requires a doubling of both the $a$ and $c$ dimensions of the subcell, it was assumed that these doublings were due to the alternating arrangement of elongated and compressed ruthenium prisms containing the $(\mathrm{C} 5 a)_{2}$ pairs and the single C5b atoms, respectively. With this model for the $B$ superstructure the corresponding data were refined successfully. In order to account for the twinning, the scale factors for the (common) subcell (of both twin orientations) and the superstructure reflections had to be varied independently. It turned out that the superstructure reflections of the larger twin domain accounted for 29.2 (3) \% of the total volume (as scaled from the subcell data) and $10.6(2) \%$ corresponded to the volume of the other twin domain. Thus, together the superstructure reflections of both twin domains only accounted for $39.8 \%$ of the total volume of the twinned crystal. For the remaining $60.2 \%$ of the total volume no long-range order (as manifested by the superstructure reflections) was observed. The corresponding superstructure intensities were too diffuse to be recorded. The results are listed in Tables 2, 5 and 6. The atom labels as used for the refinement of the subcell data with split atomic positions (lower part of Table 3) were retained for the refinement of the superstructure (Table 5). This means that an Er1a atom of the subcell also remained an Er1a atom in the superstructure; however, since the asymmetric unit is twice as large in the superstructure, there are also two positions for the $\operatorname{Er} 1 a$ atom in the
superstructure which were designated by the labels $\operatorname{Er} 1 a \alpha$ and $\operatorname{Er} 1 a \beta$. No distinctions by Greek letters were needed for the Er3, Ru3 and the C5 atoms. For these atoms the lowering of the symmetry in the superstructure did not result in additional atomic positions.

### 5.3. Crystal $A B$

Intensity data were also recorded for a third crystal, which we designated using the label $A B$. The reciprocal lattice of this crystal clearly shows orthorhombic symmetry with the lattice constants $a=37.264$ (4), $b=$ 7.219 (2), $c=14.578$ (2) A. The systematic extinctions correspond to the large $A$-centred cell shown at the bottom of Fig. 3. This cell cannot be interpreted as due to twinning of a crystal with the monoclinic superstructure $B$, as demonstrated in Fig. 7(b). Therefore, we first determined and successfully refined a structure for this large $A$-centred cell, which we term the $A B$ structure. This structure is composed of four building blocks in the stacking sequence $A B A B, A B A B$, as shown in Fig. 8. The refinement resulted in an overall conventional residual (on $F$ values) of $R=0.101$ for $2352 F$ values and 132 variable parameters $\left(w R_{2}=0.0526\right)$. For the 1826 superstructure reflections (Hoffmann, 1996) the residual amounted to $R=0.214$. The difference Fourier synthesis showed residual electron densities at positions which differed from the occupied positions by $\Delta y=\frac{1}{2}$. These residual positions correspond to a struc-


Fig. 4. The structure of the orthorhombic (Amm2) subcell of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. In the upper part of the drawing the rutheniumcarbon polyanion (situated on the mirror plane at $x=0.5$ ) is emphasized. The C atoms of this polyanion are positioned exactly on the mirror plane, while the Ru atoms are in split positions above and below the mirror plane. The Er atoms (where the single-digit numbers indicate the atom designations) are all situated on the mirror plane at $x=0$; they occupy split positions within the plane. The C5 atoms occupy split positions, which are all superimposed when viewed along the projection direction. The various superstructures are caused by the ordered distributions of the C5 atoms. The atoms within the dotted line are shown in the projection along the $y$ direction on the left-hand side of Fig. 6(a).


Er1


Er2


Er3


Ru1


Ru2


Ru3

$\mathrm{C} 3-\mathrm{C} 4$

$\mathrm{C} 1-\mathrm{C} 2$


C5-C5


Fig. 5. Near-neighbour environments of all atoms in the subcell corresponding to the positional parameters as listed in the upper part of Table 3. The anisotropic displacement parameters are drawn at the $95 \%$ probability limit.

Table 4. Interatomic distances in the subcell of $E r_{10} R u_{10} C_{19}$

The distances were calculated with the atomic positions as obtained in the refinement with anisotropic displacement parameters (upper part of Table 3). The standard deviations are all equal to or less than 0.001 $(\mathrm{Er}-\mathrm{Er}, \mathrm{Er}-\mathrm{Ru}, \mathrm{Ru}-\mathrm{Ru}), 0.02(\mathrm{Er}-\mathrm{C}, \mathrm{Ru}-\mathrm{C})$ and $0.04 \AA(\mathrm{C}-\mathrm{C})$. All distances shorter than $4.2(\mathrm{Er}-\mathrm{Er}, \mathrm{Er}-\mathrm{Ru}), 3.9(\mathrm{Er}-\mathrm{C}, \mathrm{Ru}-\mathrm{Ru})$ and $2.9 \mathrm{~A}(\mathrm{Ru}-\mathrm{C}, \mathrm{C}-\mathrm{C})$ are listed. Interatomic distances listed in parentheses do not occur in the real (super)structures.

| Er1-2C3 | 2.57 | Ru2-1C1 | 2.21 |
| :---: | :---: | :---: | :---: |
| Er1-2C1 | 2.60 | Ru2-1C3 | 2.28 |
| Er1-2C4 | 2.61 | Ru2-1C2 | 2.33 |
| Er1-1.5C5 | 2.83 | Ru2-2Ru2 | 3.610 |
| Er1-2Ru3 | 2.873 | Ru2-2Er2 | 2.917 |
| Er1-2Ru2 | 2.945 | Ru2-2Er1 | 2.946 |
| Er1-2Ru1 | 3.008 | Ru2-2Er2 | 2.991 |
| Er1-1Er2 | 3.542 | Ru3-2C1 | 2.20 |
| Er1-1Er2 | 3.558 | Ru3-1.5C5 | 2.38 |
| Er1-2Er1 | 3.610 | (Ru3-1.5C5 | 2.92) |
| Er1-1Er3 | 3.705 | Ru3-2Ru1 | 2.819 |
| Er2-2C4 | 2.56 | Ru3-2Ru3 | 3.610 |
| Er2-2C3 | 2.56 | Ru3-4Er1 | 2.873 |
| Er2-2C2 | 2.63 | Ru3-2Er3 | 3.281 |
| Er2-2Ru2 | 2.917 | C1-1C2 | 1.36 |
| Er2-2Ru2 | 2.991 | C1-1Ru3 | 2.20 |
| Er2-2Ru1 | 3.036 | C1-1Ru2 | 2.21 |
| Er2-1Er1 | 3.542 | C1-2Er1 | 2.60 |
| Er2-1Er1 | 3.550 | C1-2Er3 | 2.68 |
| Er2-2Er2 | 3.610 | C2-1C1 | 1.36 |
| Er2-1Er3 | 3.716 | C2-1Ru1 | 2.03 |
| Er3-4C2 | 2.62 | C2-1Ru2 | 2.33 |
| Er3-1.5C5 | 2.66 | C2-2Er3 | 2.62 |
| Er3-4C1 | 2.68 | C2-2Er2 | 2.63 |
| Er3-4Ru1 | 3.071 | C3-1C4 | 1.38 |
| Er3-2Ru3 | 3.281 | C3-1Ru1 | 2.07 |
| Er3-2Er3 | 3.610 | C3-1Ru2 | 2.28 |
| Er3-2Er1 | 3.705 | $\mathrm{C} 3-2 \mathrm{Er} 2$ | 2.56 |
| Er3-2Er2 | 3.716 | C3-2Er1 | 2.57 |
| Ru1-1C2 | 2.03 | C4-1C3 | 1.38 |
| Ru1-1.5C5 | 2.03 | C4-1Ru2 | 2.11 |
| Ru1-1C3 | 2.07 | C4-1Ru2 | 2.13 |
| Ru1-1.5C5 | 2.65 | C4-2Er2 | 2.56 |
| Ru1-1Ru1 | 2.720 | C4-2Er1 | 2.61 |
| Ru1-1Ru3 | 2.819 | (C5-C5 | 0.80) |
| Ru1-2Ru1 | 3.610 | C5-2Ru1 | 2.03 |
| Ru1-2Er1 | 3.008 | C5-1Ru3 | 2.38 |
| Ru1-2Er2 | 3.036 | C5-2Ru1 | 2.65 |
| Ru1-2Er3 | 3.071 | (C5-1Ru3 | 2.92) |
| Ru2-1C4 | 2.11 | C5-1Er3 | 2.66 |
| Ru2-1C4 | 2.13 | C5-2Er1 | 2.83 |

ture $A^{\prime} B^{\prime} A^{\prime} B^{\prime}, A^{\prime} B^{\prime} A^{\prime} B^{\prime}$, where the open and closed triangles in the last row of Fig. 8 are interchanged. Therefore, the structure was refined together with the additional positions using appropriate constraints for the occupancy and displacement parameters. The resulting occupancy parameters for the metal atoms varied between 80.5 (8) and $89(1) \%$, i.e. between 19.5 and $11 \%$ for the admixed structure $A^{\prime} B^{\prime} ; R=0.077$ for all $2352 F$ values $\left(F_{o}>2 \sigma\right), R=0.018$ for the subcell and $R=$ 0.181 for the 1826 superstructure reflections ( $w R_{2}=$ 0.0303 ). For the 803 superstructure reflections with $F_{o}>$ $3 \sigma$, a residual of $R=0.128$ was obtained, thus indicating that the superstructure is essentially correct.

Unfortunately, on close inspection of the precession diagrams the reciprocal lattice of the crystal used for this refinement suggested intergrowth with a second structure. This is demonstrated in Fig. 7. A hypothetical reciprocal lattice rod with the indices $h 31$ of this structure is shown in Fig. 7(d). The corresponding observed reciprocal lattice rod for this structure (Figs. 2d and 7a), however, contains reflections with two different shapes: elongated (ellipsoidal) and less elongated (more circular). This could be rationalized in two ways. The first rationalization is demonstrated in Fig. 7(e). It requires the assumption that this reciprocal lattice is composed of three domains: two twin domains of structure $B$ (as shown in Fig. 7b) in an equal ratio and a domain (Fig. 7c) of the hypothetical structure $A$ (second


Fig. 6. The basic building block of all $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ superstructures. This block is shown on the right-hand side of $(a)$ and in $(b)$ and its dimensions $a_{b}, b_{b}$ and $c_{b}$ are indicated. On the left-hand side of (a) one subcell (sub) is outlined in a projection along the $y$ direction. The labels $1 a, 1 b, 3 a, 3 b, 1,3,5 a$ and $5 b$ correspond to the atom designations of the Er1, Er3 (large circles), Ru1, Ru3 (medium-sized circles) and C5 (small open and filled circles) atoms of the subcell. The superstructures are caused by the ordering of the C5 atoms. Only these C5 atoms and their immediate environments (atoms encircled with dots here and in Fig. 4) are shown in part (a) of the figure. On the right-hand side of $(a)$ and in (b) the ordered distribution of these atoms is shown, which leads to a doubling of the two translation periods corresponding to $x_{\text {sub }}$ and $z_{\text {sub }}$. In (c) the ruthenium prisms surrounding the single $\mathrm{C} 5 b$ atoms and the $(\mathrm{C} 5 a)_{2}$ pairs are symbolized by an open and a filled triangle, respectively. One should keep in mind that single $\mathrm{C} 5 b$ atoms and $(\mathrm{C} 5 a)_{2}$ pairs also alternate in the projection direction of these building blocks.
row of Fig. 8). This model could be refined; however, the displacement parameters for many atomic positions were not well behaved. The second rationalization is demonstrated in Fig. 7(f). It requires the superposition (in reciprocal space; intergrowth in real space) of domains of superstructure $A B$ (already solved) with domains of structure $A$. During the refinement, difference Fourier syntheses again indicated that the additional domain $A^{\prime} B^{\prime}$ had to be considered. This model with the three domains $A B, A^{\prime} B^{\prime}$ and $A$ was successfully refined. The occupancy parameters for the atomic positions were constrained to be equal for all atomic positions within one domain. They were 80,11 and $9 \%$ for the three domains with the structures $A B, A^{\prime} B^{\prime}$ and $A$, respectively. Thus, in contrast to the refinement of structure $B$, we did not allow different scale factors for the subcell and superstructure reflections, which could have accounted for the diffuse scattering caused by the short-range order and the missing long-range order of superstructure $A B$. This seemed to be justified, because the superstructure reflections in the $A B$ crystal were less diffuse. Also, they are much closer together than in crystal $B$ ( $c f$. Figs. $2 d$ and $2 b$ ) and, therefore, a greater portion of the diffuse scattering is measured as part of the intensities of the superstructure reflections. We had tried to refine the $A B$ structure with different scale factors for the subcell and superstructure reflections. However, this resulted in correlations being too strong between these scale factors, the displacement parameters and the constrained occupancy parameters (which had to account for the ratios of the three different domains). We therefore preferred to use only one scale factor for the whole data set, as is usually the case, and hence neglect the diffuse scattering.

We considered this model with the three domains $A B$, $A^{\prime} B^{\prime}$ and $A$ as the most satisfactory solution for the observed data of crystal $A B$, even though the standard deviations for the $A B$ structure with this model were not smaller than those obtained in the previous refinement. It is reassuring that all positional parameters of the two refinements agreed to within three standard deviations. The final residuals for this structure are given in Table 2. The positional parameters are deposited along with the interatomic distances, which are essentially the same as the corresponding distances of the other superstructure $B$. Also deposited are the $F_{o} / F_{c}$ tables as well as the atomic positions of structure $A$, which were used for the refinement of this data set. These positions were not allowed to vary during the refinement. $\dagger$

## 6. Discussion

The nine carbides $\mathrm{Ln}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}(\mathrm{Ln}=\mathrm{Y}, \mathrm{Gd}-\mathrm{Lu})$ are reported here for the first time. Their Guinier powder patterns are all very similar. They could all be inter-

[^1]Table 5. Atomic parameters of superstructure $B$ of $E r_{10} R u_{10} C_{19}$
All atomic positions are fully occupied. The atom designations reflect the designations as used for the refinements of the subcell data (Table 3).

|  | Cm | $x$ | $y$ | $z$ | $B_{\text {eq }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Er1a ${ }^{\text {a }}$ | 2(a) | 0.2544 (1) | 0.0 | 0.2144 (1) | 0.30 (2) |
| Er1a $\beta$ | 2(a) | 0.1416 (1) | 0.0 | 0.7647 (1) | 0.26 (2) |
| Er1b $\alpha$ | 2(a) | 0.7511 (1) | 0.0 | 0.2412 (1) | 0.24 (2) |
| Er1b $\beta$ | 2(a) | 0.6251 (1) | 0.0 | 0.7373 (1) | 0.25 (2) |
| Er2a $\alpha$ | 2(a) | 0.8217 (1) | 0.0 | 0.6003 (2) | 0.34 (2) |
| Er2a $\beta$ | 2(a) | 0.0164 (1) | 0.0 | 0.3805 (2) | 0.30 (2) |
| Er2b $\alpha$ | 2(a) | 0.5108 (1) | 0.0 | 0.3639 (2) | 0.30 (2) |
| Er2b $\beta$ | 2(a) | 0.3232 (1) | 0.0 | 0.6136 (2) | 0.37 (2) |
| Er3a | 2(a) | 0.4784 (1) | 0.0 | 0.9892 (2) | 0.47 (2) |
| Er3b | 2(a) | 0.9999 (1) | 0.0 | 0.9897 (1) | 0.28 (2) |
| Ru1 $\alpha$ | 4(b) | 0.8832 (1) | 0.7858 (2) | 0.1356 (1) | 0.27 (2) |
| Ru1 $\beta$ | 4(b) | 0.8102 (1) | 0.2136 (2) | 0.8434 (1) | 0.26 (2) |
| Ru2 $\alpha$ | 4(b) | 0.67643 (9) | 0.7410 (3) | 0.3960 (1) | 0.33 (2) |
| Ru2 $\beta$ | 4(b) | 0.47301 (9) | 0.7463 (4) | 0.5830 (1) | 0.41 (2) |
| Ru3 | 4(b) | 0.67739 (9) | 0.7834 (2) | 0.9895 (1) | 0.17 (2) |
| C1 $\alpha$ | 4(b) | 0.619 (1) | 0.750 (4) | 0.157 (2) | 0.3 (1) |
| C1 $\beta$ | 4(b) | 0.535 (1) | 0.751 (4) | 0.821 (2) | 0.4 (2) |
| C2 $\alpha$ | 4(b) | 0.539 (1) | 0.740 (3) | 0.196 (1) | 0.2 (2) |
| C2 $\beta$ | 4(b) | 0.934 (1) | 0.757 (4) | 0.782 (2) | 0.5 (2) |
| C3 $\alpha$ | 4(b) | 0.887 (1) | 0.754 (4) | 0.349 (2) | 0.5 (2) |
| C3 $\beta$ | 4(b) | 0.707 (1) | 0.750 (4) | 0.632 (1) | 0.2 (1) |
| C4 $\alpha$ | 4(b) | 0.325 (1) | 0.763 (3) | 0.424 (1) | 0.1 (2) |
| C4 $\beta$ | 4(b) | 0.609 (1) | 0.749 (4) | 0.556 (1) | 0.1 (1) |
| C5a | 4(b) | 0.788 (1) | 0.596 (2) | 0.987 (2) | 0.2 (2) |
| C5b | 2(a) | 0.790 (2) | 0.0 | 0.990 (3) | 0.3 (3) |

preted on the basis of the orthorhombic subcell structure, which was determined for the erbium compound. Similar superstructures as found for the erbium compound can be expected for the other 10:10:19 carbides. Even though solving the complete superstructures has taken most of the time of the present investigation, the basic structural chemistry of the 10:10:19 carbides can be discussed by considering the subcell. After all, essentially the environments of all atomic positions are similar in the subcell and the superstructures, with exceptions concerning the C5 atoms and their immediate environments.

The composition of the 10:10:19 carbides is quite similar to the composition of the $\mathrm{GdRuC}_{2}$ carbide (i.e. 10:10:20), which is stable only in a narrow temperature range below its melting point (Hoffmann et al., 1995). The structure of $\mathrm{GdRuC}_{2}$ is very simple with only three atomic positions. Even though this structure is quite different from those of the 10:10:19 carbides, the nearneighbour environments are similar.

The three different Er atoms of the $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ subcell are all situated in trigonal prisms of Ru atoms (Fig. 5) with $\mathrm{Er}-\mathrm{Ru}$ distances covering the range between 2.873 (1) and 3.281 (1) $\AA$. The average $\mathrm{Er}-\mathrm{Ru}$ distances of the Er1, Er2 and Er3 atoms are 2.942, 2.981 and $3.141 \AA$, respectively; the average $\mathrm{Er} 3-\mathrm{Ru}$ distance is greater than the others because the Er3 atom has more carbon neighbours ( 9.5 on average) than the other Er atoms ( 7.5 for Er1 and 6 for Er2). Certainly more important than the erbium-ruthenium interactions are the erbium-carbon interactions. The $\mathrm{Er}-\mathrm{C}$ distances
vary between 2.56 (2) and 2.83 (2) Å, and the average Er-C distances of $2.64,2.58$ and $2.65 \AA$ somewhat reflect the number of carbon neighbours, which are (on average) 7.5, 6 and 9.5 for the Er1, Er2 and Er3 atoms, respectively. The ruthenium-carbon coordinations of these three Er atoms are augmented by 5, 5 and 6 erbium neighbours, respectively, thus increasing the total coordination numbers ( CN ) of the Er atoms to 18.5, 17 and 21.5 (Fig. 5). The Gd atom in $\mathrm{GdRuC}_{2}$ has a CN of 18 with six ruthenium (again forming a trigonal prism), eight carbon and four gadolinium neighbours and, therefore, it is most similar in its environment to the Er1 atoms of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$.

The three different ruthenium positions in the subcell of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ may all be considered to have trigonal prismatic erbium coordination. The Ru2 atom is situated almost in the centre of its erbium prism, while the Ru1 and Ru3 atoms are located close to one rectangular face of their respective trigonal erbium prisms. The Ru atoms are also strongly bonded to between (on average) 3.5 and 5 C atoms; most of these are situated outside the rectangular faces of the prisms formed by the Er atoms (Fig. 5). The bonding $\mathrm{Ru}-\mathrm{C}$ distances vary between 2.03 (2) and 2.33 (2) $\AA$. Exceptions are the distances of the Ru atoms to the C 5 atoms of the subcell, which are not very meaningful, since the positions of the C 5 atoms could not be refined well together with the anisotropic displacement parameters of the C5 atoms (upper part of Table 3). For the interatomic distances concerning the C5 atoms it is more appropriate to consult the distances of the superstructure as listed in Table 6. In addition,

Table 6. Interatomic distances in $B-E r_{10} R u_{10} C_{19}$
Standard deviations are all equal to or less than $0.003(\mathrm{Er}-\mathrm{Er}, \mathrm{Er}-\mathrm{Ru}, \mathrm{Ru}-\mathrm{Ru})$ and $0.03 \AA(\mathrm{Er}-\mathrm{C}, \mathrm{Ru}-\mathrm{C}, \mathrm{C}-\mathrm{C})$. All distances shorter than $4.1(\mathrm{Er}-\mathrm{Er}, \mathrm{Er}-\mathrm{Ru}, \mathrm{Ru}-\mathrm{Ru}), 3.9(\mathrm{Er}-\mathrm{C})$ and $2.9 \AA(\mathrm{Ru}-\mathrm{C}, \mathrm{C}-\mathrm{C})$ are listed.

| Er1a $\alpha-2 \mathrm{C} 1 \alpha$ | 2.58 | Er1a $\beta$-2C5a | 2.55 | Er1b $\alpha-2 \mathrm{C} 1 \alpha$ | 2.55 | $\operatorname{Er} 1 \mathrm{~b} \beta-2 \mathrm{C} 4 \beta$ | 2.51 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Er1a $\alpha$-2C5a | 2.59 | $\operatorname{Er} 1 a \beta-2 \mathrm{C} 1 \beta$ | 2.58 | Er1b $\alpha-2 \mathrm{C} 4 \alpha$ | 2.58 | $\operatorname{Er} 1 \mathrm{l} \beta-2 \mathrm{C} 1 \beta$ | 2.55 |
| Er $1 a \alpha-2 \mathrm{C} 4 \alpha$ | 2.61 | $\operatorname{Er} 1 a \beta-2 \mathrm{C} 3 \beta$ | 2.61 | Er1b $\alpha-2 \mathrm{C} 3 \alpha$ | 2.59 | $\operatorname{Er} 1 \mathrm{l} \beta$-2C3 $\beta$ | 2.59 |
| Er1a $\alpha-2 \mathrm{C} 3 \alpha$ | 2.65 | $\operatorname{Er} 1 a \beta-2 \mathrm{C} 4 \beta$ | 2.66 | Er1b $\alpha$-1C5b | 2.77 | $\operatorname{Er} 1 \mathrm{~b} \beta$-1C5b | 2.78 |
| Er1a $\alpha$-2Ru3 | 2.944 | Er1a $\beta$-2Ru3 | 2.943 | Er1b $\alpha$-2Ru3 | 2.823 | Er1b $\beta$-2Ru3 | 2.827 |
| Er1a $\alpha$-2Ru2 $\alpha$ | 3.020 | Er1a $\beta$-2Ru2 $\beta$ | 3.042 | Er1b $\alpha$-2Ru2 $\alpha$ | 2.882 | $\operatorname{Er} 1{ }^{\beta} \beta-2 \mathrm{Ru} 2 \beta$ | 2.856 |
| Er1a $\alpha$-2Ru1 $\alpha$ | 3.080 | $\operatorname{Er} 1 a \beta-2 \mathrm{Ru} 1 \beta$ | 3.086 | $\operatorname{Er} 16 \alpha-2 \mathrm{Ru} 1 \alpha$ | 2.950 | $\operatorname{Er} 16 \beta-2 \mathrm{Ru} 1 \beta$ | 2.950 |
| Er1a $-1 \mathrm{Er} 2 b \alpha$ | 3.484 | $\operatorname{Er} 1 a \beta-1 \mathrm{Er} 2 b \beta$ | 3.493 | $\operatorname{Er} 16 \alpha-1 \mathrm{Er} 2 a \alpha$ | 3.357 | $\operatorname{Er} 1 b^{\beta}-1 \mathrm{Er} 2 b \alpha$ | 3.493 |
| Er $1 a \alpha-1 \mathrm{Er} 3 b$ | 3.570 | Er $1 a \beta-1 \mathrm{Er} 3 b$ | 3.567 | $\operatorname{Er} 16 \alpha-1 \mathrm{Er} 2 a \beta$ | 3.603 | $\operatorname{Er} 1 b^{\beta}-1 \mathrm{Er} 2 a \alpha$ | 3.599 |
| Er1a $\alpha$-2Er1b $\alpha$ | 3.621 | $\operatorname{Er} 1 a \beta-1 \mathrm{Er} 2 a \beta$ | 3.605 | $\operatorname{Er} 16 \alpha-2 \mathrm{Er} 1 a \alpha$ | 3.621 | $\operatorname{Er} 1 b^{\beta}-2 \mathrm{Er} 1 a \beta$ | 3.621 |
| $\operatorname{Er} 1 a \alpha-1 \mathrm{Er} 2 b \beta$ | 3.747 | $\operatorname{Er} 1 a \beta-2 \mathrm{Er} 1 b^{\beta}$ | 3.621 | $\operatorname{Er} 1 b^{2}-1 \mathrm{Er} 3 a$ | 3.854 | $\operatorname{Er} 1 b^{\beta}-1 \mathrm{Er} 3 a$ | 3.853 |
| Er2a $\alpha-2 \mathrm{C} 3 \beta$ | 2.56 | $\mathrm{Er} 2 a \beta-2 \mathrm{C} 3 \alpha$ | 2.52 | Er2b $\alpha-2 \mathrm{C} 3 \alpha$ | 2.54 | $\operatorname{Er} 2 \mathrm{~b} \beta-2 \mathrm{C} 3 \beta$ | 2.53 |
| $\mathrm{Er} 2 a \alpha-2 \mathrm{C} 4 \alpha$ | 2.60 | $\operatorname{Er} 2 a \beta-2 \mathrm{C} 4 \beta$ | 2.54 | $\mathrm{Er} 2 \mathrm{~b} \alpha-2 \mathrm{C} 2 \alpha$ | 2.65 | $\operatorname{Er} 2 b \beta-2 \mathrm{C} 4 \alpha$ | 2.56 |
| Er2a $\alpha-2 \mathrm{C} 2 \beta$ | 2.63 | Er2a $\beta$-2C2 $\alpha$ | 2.64 | Er2b $\alpha-2 \mathrm{C} 4 \beta$ | 2.65 | $\operatorname{Er} 2 b \beta-2 \mathrm{C} 2 \beta$ | 2.63 |
| Er2a $\alpha-2 \mathrm{Ru} 2 \beta$ | 2.887 | Er $2 a \beta-2 \mathrm{Ru} 2 \alpha$ | 2.869 | $\operatorname{Er} 2 b \alpha-2 \mathrm{Ru} 2 \alpha$ | 2.977 | $\operatorname{Er} 2 b \beta-2 \mathrm{Ru} 2 \beta$ | 2.951 |
| Er $2 a \alpha-2 \mathrm{Ru} 1 \beta$ | 2.935 | Er $2 a \beta$-2Ru $2 \beta$ | 2.933 | Er $2 b \alpha-2 \mathrm{Ru} 2 \beta$ | 3.057 | $\operatorname{Er} 2 b \beta-2 \mathrm{Ru} 2 \alpha$ | 2.992 |
| Er2a $\alpha-2 \mathrm{Ru} 2 \alpha$ | 3.001 | Er $2 a \beta-2 \mathrm{Ru} 1 \alpha$ | 2.949 | Er $26 \alpha-2 \mathrm{Ru} 1 \alpha$ | 3.137 | $\operatorname{Er} 2 b \beta-2 \mathrm{Ru} 1 \beta$ | 3.148 |
| Er2a $-1 \mathrm{Er} 1 b^{\alpha}$ | 3.357 | $\operatorname{Er} 2 a \beta-1 \mathrm{Er} 1 b \alpha$ | 3.603 | Er2b $\alpha$-1Er1a $\alpha$ | 3.484 | $\operatorname{Er} 2 b \beta$-1Er1a $\beta$ | 3.493 |
| $\operatorname{Er} 2 a \alpha-1 \mathrm{Er} 1 b \beta$ | 3.599 | $\operatorname{Er} 2 a \beta-1 \mathrm{Er} 1 a \beta$ | 3.605 | $\operatorname{Er} 2 b \alpha-1 \mathrm{Er} 1 b \beta$ | 3.493 | $\mathrm{Er} 2 \mathrm{~b} \beta$-1Er3a | 3.611 |
| Er2a $\alpha$-2Er2b $\beta$ | 3.612 | $\mathrm{Er} 2 a \beta-2 \mathrm{Er} 2 b \alpha$ | 3.613 | $\operatorname{Er} 2 b \alpha-1 \mathrm{Er} 3 a$ | 3.603 | Er2b $\beta$-2Er2a $\alpha$ | 3.612 |
| Er2a $\alpha-1 \mathrm{Er} 3 b$ | 3.814 | Er2a $\beta$-1Er3b | 3.828 | $\operatorname{Er} 2 b \alpha-2 \mathrm{Er} 2 a \beta$ | 3.613 | $\operatorname{Er} 2 b \beta-1 \mathrm{Er} 1 a \alpha$ | 3.747 |
| Er3a-2C2 $\beta$ | 2.68 | $\operatorname{Er} 36-2 \mathrm{C} 2 \alpha$ | 2.60 | Er3a-2Ru3 | 3.294 | Er3b-2Ru3 | 3.299 |
| Er3a-2C2 $\alpha$ | 2.69 | Er3b-2C2 $\beta$ | 2.62 | Er3a-1Er2b $\alpha$ | 3.603 | $\operatorname{Er} 3 b-1 \mathrm{Er} 1 a \beta$ | 3.567 |
| Er3a-2C1 $\beta$ | 2.78 | Er3b-2C1 $\alpha$ | 2.64 | Er3a-1Er2b $\beta$ | 3.611 | $\mathrm{Er} 3 b-1 \mathrm{Er} 1 a \alpha$ | 3.570 |
| Er3a-2C1 $\alpha$ | 2.78 | $\mathrm{Er} 3 \mathrm{~b}-2 \mathrm{C} 1 \beta$ | 2.64 | $\operatorname{Er} 3 a-2 \mathrm{Er} 3 b$ | 3.623 | $\operatorname{Er} 3 b-2 \mathrm{Er} 3 a$ | 3.623 |
| Er3a-2C5a | 2.86 |  |  | $\operatorname{Er} 3 a-1 \mathrm{Er} 1 b \beta$ | 3.853 | $\mathrm{Er} 3 b-1 \mathrm{Er} 2 a \alpha$ | 3.814 |
| Er3a-2Ru1 $\beta$ | 3.132 | Er3b-2Ru1 $\alpha$ | 3.037 | $\operatorname{Er} 3 a-1 \mathrm{Er} 1{ }^{\text {d }} \alpha$ | 3.854 | $\mathrm{Er} 3 b-1 \mathrm{Er} 2 a \beta$ | 3.828 |
| Er3a-2Ru1 $\alpha$ | 3.132 | Er3b-2Ru1 $\beta$ | 3.036 |  |  |  |  |
| Ru1 $\alpha-1 \mathrm{C} 5 a$ | 2.12 | Ru1 $\beta-1 \mathrm{C} 5 a$ | 2.09 | Ru2 $\alpha-1 \mathrm{C} 4 \alpha$ | 2.08 | Ru2 $\beta$-1C4 $\beta$ | 2.09 |
| Ru1 $\alpha-1 \mathrm{C} 3 \alpha$ | 2.13 | $\mathrm{Ru} 1 \beta-1 \mathrm{C} 3 \beta$ | 2.12 | Ru2 $\alpha-1 \mathrm{C} 4 \beta$ | 2.17 | $\mathrm{Ru} 2 \beta-1 \mathrm{C} 4 \alpha$ | 2.17 |
| Ru1 $\alpha-1 \mathrm{C} 2 \alpha$ | 2.14 | $\mathrm{Ru} 1 \beta-1 \mathrm{C} 2 \beta$ | 2.12 | $\mathrm{Ru} 2 \alpha-1 \mathrm{C} 1 \alpha$ | 2.23 | $\mathrm{Ru} 2 \beta-1 \mathrm{C} 3 \alpha$ | 2.22 |
| Ru1 $\alpha-1 \mathrm{C} 5 b$ | 2.22 | Ru1 $\beta$-1C5b | 2.22 | $\mathrm{Ru} 2 \alpha-1 \mathrm{C} 3 \beta$ | 2.24 | $\mathrm{Ru} 2 \beta-1 \mathrm{C} 1 \beta$ | 2.22 |
| $\mathrm{Ru} 1 \alpha-1 \mathrm{Ru} 1 \beta$ | 2.722 | $\mathrm{Ru} 1 \beta-1 \mathrm{Ru} 1 \alpha$ | 2.722 | Ru2 $\alpha-1 \mathrm{C} 2 \alpha$ | 2.25 | Ru2 $\beta-1 \mathrm{C} 2 \beta$ | 2.26 |
| Ru1 $\alpha-1 \mathrm{Ru} 3$ | 2.819 | Ru1 $\beta-1 \mathrm{Ru} 3$ | 2.820 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Ru} 2 \alpha$ | 3.480 | $\mathrm{Ru} 2 \beta-1 \mathrm{Ru} 2 \beta$ | 3.557 |
| Ru1 $\alpha$ - $1 \mathrm{Ru} 1 \alpha$ | 3.092 | $\operatorname{Ru} 1 \beta-1 \mathrm{Ru} 1 \beta$ | 3.084 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Ru} 2 \alpha$ | 3.740 | $\mathrm{Ru} 2 \beta-1 \mathrm{Ru} 2 \beta$ | 3.663 |
| Ru1 $\alpha$ - $1 \mathrm{Ru} 1 \alpha$ | 4.127 | $\mathrm{Ru} 1 \beta-1 \mathrm{Ru} 1 \beta$ | 4.135 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Er} 2 a \beta$ | 2.869 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 1 \mathrm{~b} \beta$ | 2.856 |
| Ru1 $\alpha-1 \operatorname{Er} 2 a \beta$ | 2.949 | $\mathrm{Ru} 1 \beta-1 \mathrm{Er} 2 a \alpha$ | 2.935 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Er} 1{ }^{2} \alpha$ | 2.882 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 2 a \alpha$ | 2.887 |
| Ru1 $\alpha-1 \mathrm{Er} 1{ }^{\text {d }} \alpha$ | 2.950 | Ru1 $\beta-1 \mathrm{Er} 1 b^{\beta}$ | 2.950 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Er} 2 b \alpha$ | 2.977 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 2 a \beta$ | 2.933 |
| $\mathrm{Ru} 1 \alpha-1 \mathrm{Er} 3 b$ | 3.037 | Ru1 $\beta$-1Er3b | 3.036 | $\mathrm{Ru} 2 \alpha-1 \mathrm{Er} 2 b \beta$ | 2.992 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 2 b \beta$ | 2.951 |
| Ru1 $\alpha$-1Er1a $\alpha$ | 3.080 | $\operatorname{Ru} 1 \beta-1 \mathrm{Er} 1 a \beta$ | 3.086 | Ru2 $\alpha$-1Er $2 a \alpha$ | 3.001 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 1 a \beta$ | 3.042 |
| $\mathrm{Ru} 1 \alpha-1 \mathrm{Er} 3 a$ | 3.132 | Ru1 $\beta$-1Er3a | 3.132 | Ru2 $\alpha-1 \mathrm{Er} 1$ a $\alpha$ | 3.020 | $\mathrm{Ru} 2 \beta-1 \mathrm{Er} 2 b \alpha$ | 3.056 |
| Ru1 $\alpha$ - $1 \mathrm{Er} 2 \mathrm{~b} \alpha$ | 3.137 | $\mathrm{Ru} 1 \beta-1 \mathrm{Er} 2 \mathrm{~b} \beta$ | 3.148 |  |  |  |  |
| Ru3-1C5a | 2.11 | Ru3-1Ru1 $\alpha$ | 2.819 | Ru3-1Er1b ${ }^{\text {d }}$ | 2.823 | Ru3-1Er3a | 3.294 |
| Ru3-1C1 $\alpha$ | 2.15 | Ru3-1Ru1 $\beta$ | 2.820 | Ru3-1Er1b $\beta$ | 2.827 | Ru3-1Er3b | 3.299 |
| Ru3-1C1 $\beta$ | 2.16 | Ru3-1Ru3 | 3.127 | Ru3-1Er1a $\beta$ | 2.943 |  |  |
| Ru3-1C5b | 2.26 | Ru3-1Ru3 | 4.092 | Ru3-1Er1a $\alpha$ | 2.944 |  |  |
| C1 $\alpha-1 \mathrm{C} 2 \alpha$ | 1.35 | $\mathrm{C} 1 \beta-1 \mathrm{C} 2 \beta$ | 1.37 | $\mathrm{C} 2 \alpha-1 \mathrm{C} 1 \alpha$ | 1.35 | $\mathrm{C} 2 \beta-1 \mathrm{C} 1 \beta$ | 1.37 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Ru} 3$ | 2.15 | $\mathrm{C} 1 \beta-1 \mathrm{Ru} 3$ | 2.16 | $\mathrm{C} 2 \alpha-1 \mathrm{Ru} 1 \alpha$ | 2.14 | $\mathrm{C} 2 \beta-1 \mathrm{Ru} 1 \beta$ | 2.12 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Ru} 2 \alpha$ | 2.23 | $\mathrm{C} 1 \beta-1 \mathrm{Ru} 2 \beta$ | 2.22 | $\mathrm{C} 2 \alpha-1 \mathrm{Ru} 2 \alpha$ | 2.25 | $\mathrm{C} 2 \beta-1 \mathrm{Ru} 2 \beta$ | 2.26 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Er} 1 b \alpha$ | 2.55 | $\mathrm{C} 1 \beta-1 \mathrm{Er} 1 b \beta$ | 2.55 | $\mathrm{C} 2 \alpha-1 \mathrm{Er} 3 b$ | 2.60 | $\mathrm{C} 2 \beta-1 \mathrm{Er} 3 b$ | 2.63 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Er} 1 \mathrm{a} \alpha$ | 2.58 | $\mathrm{C} 1 \beta-1 \mathrm{Er} 1 a \beta$ | 2.58 | $\mathrm{C} 2 \alpha-1 \mathrm{Er} 2 a \beta$ | 2.64 | $\mathrm{C} 2 \beta-1 \mathrm{Er} 2 b \beta$ | 2.63 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Er} 3 b$ | 2.64 | $\mathrm{C} 1 \beta-1 \mathrm{Er} 3 b$ | 2.64 | $\mathrm{C} 2 \alpha-1 \mathrm{Er} 2 \mathrm{~b} \alpha$ | 2.65 | $\mathrm{C} 2 \beta-1 \mathrm{Er} 2 a \alpha$ | 2.63 |
| $\mathrm{C} 1 \alpha-1 \mathrm{Er} 3 a$ | 2.78 | $\mathrm{C} 1 \beta-1 \mathrm{Er} 3 a$ | 2.78 | $\mathrm{C} 2 \alpha-1 \mathrm{Er} 3 a$ | 2.69 | $\mathrm{C} 2 \beta-1 \mathrm{Er} 3 a$ | 2.68 |
| C3 $\alpha-1 \mathrm{C} 4 \alpha$ | 1.38 | C3 $\beta-1 \mathrm{C} 4 \beta$ | 1.35 | C4 $4-1 \mathrm{C} 3 \alpha$ | 1.38 | $\mathrm{C} 4 \beta-1 \mathrm{C} 3 \beta$ | 1.35 |
| $\mathrm{C} 3 \alpha-1 \mathrm{Ru} 1 \alpha$ | 2.13 | $\mathrm{C} 3 \beta-1 \mathrm{Ru} 1 \beta$ | 2.12 | $\mathrm{C} 4 \alpha-1 \mathrm{Ru} 2 \alpha$ | 2.08 | $\mathrm{C} 4 \beta-1 \mathrm{Ru} 2 \beta$ | 2.09 |
| $\mathrm{C} 3 \alpha-1 \mathrm{Ru} 2 \beta$ | 2.22 | C3 $\beta-1 \mathrm{Ru} 2 \alpha$ | 2.24 | $\mathrm{C} 4 \alpha-1 \mathrm{Ru} 2 \beta$ | 2.17 | $\mathrm{C} 4 \beta-1 \mathrm{Ru} 2 \alpha$ | 2.17 |
| $\mathrm{C} 3 \alpha-1 \mathrm{Er} 2 a \beta$ | 2.52 | $\mathrm{C} 3 \beta-1 \mathrm{Er} 2 \mathrm{~b} \beta$ | 2.53 | $\mathrm{C} 4 \alpha-1 \mathrm{Er} 2 b \beta$ | 2.56 | $\mathrm{C} 4 \beta-1 \mathrm{Er} 1 b \beta$ | 2.51 |
| $\mathrm{C} 3 \alpha-1 \mathrm{Er} 2 \mathrm{~b} \alpha$ | 2.54 | C3 $\beta$-1Er2a $\alpha$ | 2.56 | $\mathrm{C} 4 \alpha-1 \mathrm{Er} 1 \mathrm{~b} \alpha$ | 2.58 | $\mathrm{C} 4 \beta-1 \mathrm{Er} 2 a \beta$ | 2.54 |

Table 6 (cont.)

| $\mathrm{C} 3 \alpha-1 \mathrm{Er} 1 b \alpha$ | 2.59 | $\mathrm{C} 3 \beta-1 \mathrm{Er} 1 b \beta$ | 2.59 |
| :--- | :--- | :--- | :--- |
| $\mathrm{C} 3 \alpha-1 \mathrm{Er} 1 a \alpha$ | 2.65 | $\mathrm{C} 3 \beta-1 \mathrm{Er} 1 a \beta$ | 2.61 |
| $\mathrm{C} 5 a-1 \mathrm{C} 5 a$ |  |  |  |
| $\mathrm{C} 5 a-1 \mathrm{Ru} 1 \beta$ | 1.39 |  | 2.55 |
| $\mathrm{C} 5 a-1 \mathrm{Ru} 3$ | 2.09 | $\mathrm{C} 5 a-1 \mathrm{Er} 1 a \beta$ | 2.59 |
| $\mathrm{C} 5 a-1 \mathrm{Ru} 1 \alpha$ | 2.11 | $\mathrm{C} 5 a-1 \mathrm{Er} 1 a \alpha$ | 2.86 |

there are $\mathrm{Ru}-\mathrm{Ru}$ bonds. The Ru 1 atom has one ruthenium neighbour at 2.720 (1) $\AA$ and another one at 2.819 (1) $\AA$; the Ru3 atom has two, both at 2.819 (1) $\AA$. The $\mathrm{Ru}-\mathrm{Ru}$ distances of $3.61 \AA$ are too long to be counted as bonding distances. In $\mathrm{GdRuC}_{2}$ the Ru atoms are situated in an octahedron of Gd atoms with (in addition) four carbon neighbours at $2.14 \AA$ and two ruthenium neighbours at $2.60 \AA$ each.


Fig. 7. Analysis of the reciprocal lattice reflections of crystal $A B$. The reciprocal lattice of this crystal has orthorhombic symmetry and the shown reciprocal lattice row is reproduced from a first upper-level precession photograph. The first row (a) displays an enlargement of those superstructure reflections of crystal $A B$ which are enframed in Fig. 2(d). A naive assignment of indices to this orthorhombic lattice results in the indices as shown in row $(d)$. However, the reciprocal lattice row (a) contains alternating (nearly) circular and ellipsoidal reflections and this can be interpreted in various ways, as is further discussed in the text.

| $\mathrm{C} 4 \alpha-1 \mathrm{Er} 2 a \alpha$ | 2.60 | $\mathrm{C} 4 \beta-1 \mathrm{Er} 2 b \alpha$ | 2.65 |
| :--- | :--- | :--- | :--- |
| $\mathrm{C} 4 \alpha-1 \mathrm{Er} 1 a \alpha$ | 2.61 | $\mathrm{C} 4 \beta-1 \mathrm{Er} 1 a \beta$ | 2.66 |
| $\mathrm{C} 5-2 \mathrm{Ru} 1 \alpha$ |  |  |  |
| $\mathrm{C} 5 b-2 \mathrm{Ru} \beta$ | 2.22 | $\mathrm{C} 5 b-1 \mathrm{Er} 1 b \alpha$ | 2.77 |
| $\mathrm{C} 5 b-2 \mathrm{Ru} 3$ | 2.22 | $\mathrm{C} 5 b-1 \mathrm{Er} 1 b \beta$ | 2.78 |
|  | 2.26 |  |  |

The C 1 and C 2 atoms as well as C 3 and C 4 in the subcell of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ form pairs with $\mathrm{C}-\mathrm{C}$ bond distances of 1.36 (4) and 1.38 (4) Å, respectively, slightly longer than the $\mathrm{C}=\mathrm{C}$ double-bond distance of 1.35 A in olefins. These $\mathrm{C}_{2}$ pairs are situated in trigonal prisms of Er atoms. The rectangular faces of these erbium prisms are capped by Ru atoms, thus increasing the CN of these carbon pairs to nine. The environments of these pairs do not change in going from the subcell to the various superstructures.

The positions of the C 5 atoms provide the key to understanding the superstructures. They are located in trigonal prisms formed by six Ru atoms, with three additional Er atoms outside the rectangular faces of the ruthenium prisms. In the subcell refinement with unsplit atomic positions (upper part of Table 3) the C5 atoms occupy $75 \%$ of a $4(c)$ position with the (impossibly short) C5-C5 bond distance 0.80 (1) A. In the refinement with split atomic positions (lower part of Table 3) the C5 atoms are located on two atomic sites [4(c) and $2(a)$ ], each with $50 \%$ occupancies. The C5a atoms form pairs within an elongated prism of Ru atoms, now with a bond distance of 1.52 (6) $\AA$ [refinement of the superstructures reveals that the real $\mathrm{C}-\mathrm{C}$ distance of the C5a pairs is 1.39 (3) $\AA$ ], while the C5b atoms are single atoms, occupying the centre of a compressed trigonal prism formed by the Ru atoms. The various superstructures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ arise from the ordered arrangement of the $(\mathrm{C} 5 a)_{2}$ pairs and the single C5b atoms and the fact that their atomic environments reflect this order.

Of course, experimentally the superstructures are determined by the arrangement of occupied and nonoccupied split positions of the metal atoms. Hence, the occupancy parameter of 0.75 for the C5 position in the refinement of the subcell with anisotropic displacement parameters (upper part of Table 3), as well as the atomic ratio 2:1 of the C5a-to-C5b positions in the refinement of the subcell with split atomic positions (lower part of Table 3), is a space requirement. The interatomic distances within the dotted lines of the building block shown in Fig. 6(b) are chemically reasonable only if single C5b and paired C5a atoms alternate, i.e. the order is perfect in two dimensions [the $x z$ plane of the subcell as shown in Fig. 6(a), which corresponds to the $x y$ plane of structure $B$ and to the $y z$ plane of structure $A B]$. The disorder occurs only in the third dimension. We have used the letters $A$ and $B$ to designate the two possibi-
lities for the arrangement of three adjacent building blocks (Fig. 8). This is similar to the situation of cubic and hexagonal close-packed spheres, where the letters $h$ and $c$ are used in the Jagodzinski-Wyckoff notation


Subcell


Fig. 8. The arrangement of the building blocks of Fig. 6 in the subcell and in various superstructures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. The corresponding unit cells are indicated by dashed lines. In the subcell the C5 atoms are disordered and this is symbolized by half-filled triangles. The labels $A$ and $B$ are used to designate the various stacking sequences of the basic building block. Note that building block $A$ contains a vertical mirror plane. Thus, of the two mirror planes of the subcell (one parallel to the paper plane and the other perpendicular to the stacking direction) all are retained in $A-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$, which has the stacking sequence $A A, A A$. In the structure of $B-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ (stacking sequence $B, B$ ) all mirror planes perpendicular to the stacking direction are lost; in $A B-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ (stacking sequence $A B A B, A B A B)$ every other one of these is missing.
(Jagodzinski, 1954a,b). In using this notation, our structures $A$ and $B$ correspond to the stacking sequences of hexagonal and cubic close packing, while the fourlayer structure $A B$ corresponds to the four-layer closepacked structure of neodymium with the JagodzinskiWyckoff notation (hc) $)_{2}$.

If the number of stacked layers is limited to four within one translation period, there are only these three different structures possible $-A, B$ and $A B$. However, if infinitely long translation periods are allowed, an infinite


Fig. 9. The crystal structure of $B-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ shown in two projections. In both not all Er atoms are drawn, to aid visualization of the ruthenium-carbon polyanion. This polyanion consists of twodimensionally infinite nets, which are viewed from above in the upper part of the figure and from the side in the lower part. These nets are connected by carbon pairs and single C atoms (arrows), which alternate along the $y$ direction, and this is the reason for the doubled $b$ axis of this and all other superstructures. Single C atoms and $\mathrm{C}_{2}$ pairs between the Ru atoms of the adjacent nets also alternate along the $x$ direction and this leads to the doubled $a$ translation period of superstructure $B$. In the other superstructures the corresponding translation periods are also doubled. The differences between the various superstructures result from the length and the orientation of the third translation period (Fig. 8).
number of possibilities exist for the stacking of these layers. We have refined two of them (structures $B$ and $A B)$. In addition, we have found evidence for substantial disorder, especially for the subcell crystal, where no well resolved superstructure reflections were observed. The disorder in this crystal may be determined by analysing the diffuse diffraction streaks according to the theory developed for OD (order-disorder) structures (Jagodzinski, 1949a,b; Gevers, 1954; Dornberger-Schiff, 1956; Kakinoki \& Komura, 1965; Takaki, 1977; Müller, 1979), which has been used for many disordered structures (Jagodzinski, 1949c; Schwarzenbach, 1969; Takaki et al., 1975; Blanc et al., 1996).

The Ru and $\mathrm{C} 1, \mathrm{C} 2, \mathrm{C} 3$ and C 4 atoms form a slightly puckered, two-dimensionally infinite, polyanionic net, which is emphasized in the upper part of Fig. 4. Such nets are stacked on top of each other, as shown in Fig. 9. Viewed from the side (lower part of Fig. 9), it can be seen that the two-dimensionally infinite polyanionic layers are interconnected by alternating carbon pairs and single C atoms. These are the C5 atoms. The whole structure may also be imagined as a 'multiple floor
garage', where the ruthenium-carbon nets correspond to the floors, the C5 atoms to the pillars and the Er atoms to the cars. Thus, the structure has some similarity to that of the well known solid electrolyte $\beta$-alumina $\left(\sim \mathrm{NaAl}_{11} \mathrm{O}_{17}\right)$, where the Na atoms are highly mobile. A similar mobility cannot be expected for the Er atoms, since they carry a higher charge and, therefore, they are more tightly bonded to their local ruthenium-carbon environments.
Chemical bonding in the various structures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$ can, to a first approximation, be rationalized by simple concepts. For this rationalization we neglect any bonding Er-Er interactions, an assumption which is an oversimplification considering that the shortest $\mathrm{Er}-\mathrm{Er}$ distance is $3.36 \AA$ (Table 6: $\operatorname{Er} 1 b \alpha-$ $\mathrm{Er} 2 a \alpha$ ), compared with the average $\mathrm{Er}-\mathrm{Er}$ distance of $3.51 \AA$ in the hexagonal close-packed structure of elemental erbium (Donohue, 1974). Nevertheless, the Er atoms, as the most electropositive components of the compound, may be assumed to have largely transferred their valence electrons to the ruthenium-carbon polyanion. For simplicity, we also assume the C atoms of the



Fig. 10. Polyanion of $B-\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. On the left-hand side the interatomic distances ( pm ) within the two-dimensionally infinite polyanion are shown. Large and small circles represent Ru and C atoms, respectively. The numbers and letters within the circles correspond to the atom designations. $\mathrm{C} 5 a$ and $\mathrm{C} 5 b$ are above and below the plane of the flat polyanion, thus connecting the polyanions in the third dimension. On the right-hand side, a valence electron distribution is shown, assuming two-electron bonds for each $\mathrm{Ru}-\mathrm{C}$ interaction and that the octet and 18 -electron rules are obeyed by the C and Ru atoms, respectively. The full electron count is shown only for the Ru 2 atoms; see the caption to Fig. 11 regarding Ru1, Ru3 and C5.
$\mathrm{C}_{2}$ pairs to form double bonds, i.e. they derive from ethylene, $\mathrm{C}_{2} \mathrm{H}_{4}$. In counting the electrons of the ruthe-nium-carbon bonds at the C atoms and assuming the octet rule for the C atoms to be obeyed, each $\mathrm{C}_{2}$ pair obtains a formal charge of $4-$. Similarly, the isolated $\mathrm{C} 5 b$ atoms located inside the trigonal prisms of the Ru atoms also obtain a formal charge of $4-$. The compound can then be written with the formula $\left[10 \mathrm{Er}^{3+}\right]^{30+}\left[\mathrm{Ru}_{10} \mathrm{C}_{19}\right]^{30-}$, where the ruthenium-carbon polyanion is emphasized; or we can express this in more detail with the formula $\left[10 \mathrm{Er}^{3+}\right]^{30+}[(4 \mathrm{Ru} 1 .-$ $2 \mathrm{Ru} 3) \cdot(4 \mathrm{Ru} 2)]^{10+}\left[8\left(\mathrm{C}_{2}^{4-}\right) \cdot\left(\mathrm{C} 5 a_{2}^{4-}\right) \cdot\left(\mathrm{C} 5 b^{4-}\right)\right]^{40-}$, where the superscripts represent oxidation numbers (formal charges). The important result of this account is that the ten Ru atoms together carry a formal charge of $10+$, i.e. the average Ru atom has a $d^{7}$ system.

We have frequently observed in similar carbides that the transition metal atoms have an environment which is compatible with the 18 -electron rule, e.g. in $\mathrm{Pr}_{2} \mathrm{ReC}_{2}$ (Jeitschko et al., 1990), $\mathrm{Ca}_{4} \mathrm{Ni}_{3} \mathrm{C}_{5}$ (Musanke \& Jeitschko, 1991), $\mathrm{Th}_{4} \mathrm{Ni}_{3} \mathrm{C}_{6}$ (Moss \& Jeitschko, 1991), $\mathrm{Sc}_{5} \mathrm{Re}_{2} \mathrm{C}_{7}$ (Pöttgen \& Jeitschko, 1992), $\mathrm{Gd}_{3} \mathrm{Mn}_{2} \mathrm{C}_{6}$ (Kahnert \& Jeitschko, 1993), $\mathrm{Yb}_{4} \mathrm{Ni}_{2} \mathrm{C}_{5}$ (Musanke, Jeitschko \&

Danebrock, 1993), $\mathrm{La}_{12} \mathrm{Re}_{5} \mathrm{C}_{15}$ (Pöttgen et al., 1994) and $\mathrm{GdRuC}_{2}$ (Hoffmann et al., 1995). This is also the case for the Ru atoms in the various superstructures of $\mathrm{Er}_{10} \mathrm{Ru}_{10} \mathrm{C}_{19}$. For this account we start with the Ru 2 atoms. They are located in a two-dimensionally infinite part of the ruthenium-carbon polyanion (corresponding to the stacked floors in a parking garage, as outlined in the lower part of Fig. 9). This two-dimensionally infinite net is shown in Fig. 10. It can be seen that all Ru2 atoms are coordinated by two pairs of C atoms 'side-on' and by another pair of C atoms 'end-on'. On the right-hand side of Fig. 10 a possible valence electron distribution for the two-dimensionally infinite net is shown using the Lewis formalism and assuming two-electron bonds for each $\mathrm{Ru}-\mathrm{C}$ contact. If the 18 -electron rule is to be obeyed by the Ru2 atoms, each ought to have eight non-bonding electrons (i.e. a ' $d^{8}$ system'). We thus arrive at the more detailed chemical formula $\left[10 \mathrm{Er}^{3+}\right]^{30+}[(4 \mathrm{Ru} 1 .-$ $\left.2 \mathrm{Ru} 3)^{10+}(4 \mathrm{Ru} 2)^{0 \pm}\right]^{10+}\left[8\left(\mathrm{C}_{2}^{4-}\right) \cdot\left(\mathrm{C} 5 a_{2}^{4-}\right) \cdot\left(\mathrm{C} 5 b^{4-}\right)\right]^{40-}$,
where the four Ru1 and the two Ru3 atoms together carry a formal charge of $10+$.
The two-dimensionally infinite layers of the Ru and C atoms shown in Fig. 10 are connected in the third


Fig. 11. The environment of the Ru1, Ru3 and C5 atoms, which correspond to the pillars of the 'parking garage' as shown in the lower part of Fig. 9. Atoms and symbols correspond to those of Fig. 10. On the right-hand side the Lewis formalism is used to show a valence electron distribution, aiming for electron counts of 8 and 18 for the C and Ru atoms, respectively.
dimension via the C5 atoms. The arrangement of these atoms together with the adjacent Ru1 and Ru3 atoms is shown in Fig. 11. Four Ru1 and two Ru3 atoms form a trigonal prismatic $\mathrm{Ru}_{6}$ cluster. It can be seen that the Ru atoms of these clusters all have similar chemical environments. Each Ru atom is coordinated by two $\mathrm{C}_{2}$ pairs end-on, which are located in a horizontal plane also containing the triangular faces of the trigonal prisms of the $\mathrm{Ru}_{6}$ clusters. The $\mathrm{C} 5 b$ atoms are located within the $\mathrm{Ru}_{6}$ clusters, while the C5a atoms are situated outside the clusters. They form pairs which connect two adjacent $\mathrm{Ru}_{6}$ prisms via their triangular faces. On the right-hand side of Fig. 11 a possible valence electron distribution is shown, again using the Lewis formalism and aiming for 18 electrons for each Ru atom. In the electron distribution shown in Fig. 11 each Ru atom 'sees' four electrons belonging to the two $\mathrm{C}_{2}$ pairs within the horizontal plane, $2 \times \frac{4}{3}$ of an electron from the C5 atoms and 10 electrons from the $\mathrm{Ru}-\mathrm{Ru}$ bonds within the $\mathrm{Ru}_{6}$ cluster. This amounts to a total of 16.66 electrons per Ru atom. In addition, we see eight non-bonding electrons per $\mathrm{Ru}_{6}$ cluster, which we have arbitrarily distributed between the Ru1 and Ru3 atoms in order to avoid drawing fractional electrons. Hence, on average each Ru atom also has $\frac{8}{6}=\frac{4}{3}$ non-bonding electrons and, together with the 16.66 bonding electrons enumerated above, each Ru atom obtains 18 electrons. In order to achieve this satisfying result we had to assume double bonds within the $\mathrm{Ru}_{3}$ triangles and single bonds for the $\mathrm{Ru}-$ Ru interactions between the $R u_{3}$ triangles of a $R u_{6}$ cluster. This correlates with the $\mathrm{Ru}-\mathrm{Ru}$ bond lengths, as can be seen from the left-hand side of Fig. 11: the $\mathrm{Ru}-\mathrm{Ru}$ double bonds correspond to bond lengths of 2.72 and $2.82 \AA$, while single bonds were assigned to the $\mathrm{Ru}-\mathrm{Ru}$ interactions with bond lengths of 3.08, 3.09 and $3.13 \AA$. Hence, the total number of electrons, using only ruthenium orbitals, is 38 per $\mathrm{Ru}_{6}$ cluster: eight nonbonding electrons plus 30 electrons forming $\mathrm{Ru}-\mathrm{Ru}$ bonds, i.e. on average, each of the six Ru1 and Ru3 atoms obtains a $d^{6.33}$ system, in agreement with their formal charge of $10+$ in the formula derived in the preceding paragraph.

The total number of electrons per $\mathrm{Ru}_{6}$ cluster (including the electrons involved in $\mathrm{Ru}-\mathrm{C}$ bonding) is now also easily established. Since each Ru atom has 18 electrons, we count $6 \times 18=108$ electrons; from these we have to subtract one half of the thirty, which are involved in $\mathrm{Ru}-\mathrm{Ru}$ bonding, since these were counted twice. We therefore arrive at an electron count of 108 $30 / 2=93$ per $R \mathrm{u}_{6}$ cluster. This number is already close to the ideal electron count of 90 found for trigonal prismatic transition metal clusters in molecular compounds (Tachikawa \& Muetterties, 1981; Wijeyesekera \& Hoffmann, 1984; Mingos \& May, 1990). However, if we allow for some $\mathrm{Er}-\mathrm{Er}$ bonding (thereby lowering the formal charge of the ruthenium-carbon polyanion), as mentioned in the beginning of this discussion, we may
well arrive at the same electron count for the trigonal prismatic $\mathrm{Ru}_{6}$ clusters in this solid, as was established for such clusters in molecules.

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[^0]:    $\dagger$ Supplementary data for this paper are available from the IUCr electronic archives (Reference: SH0107). Services for accessing these data are described at the back of the journal.

[^1]:    $\dagger$ See deposition footnote on p. 839.

